

Conference Pairs Solution Notes by Zag

Candidates for $4ac$ are:

$11 \times 13 = 143$, forcing $6dn = 13$ (to avoid duplicate 11's), $9ac = 31$, $5dn = 421$. $4ac + 7ac$ can be 361, 400 or 441 giving $7ac$ values of 218 (but then $2dn + 5dn$ ends 2, impossible for a square), 257 ($2dn = 735$ and $2ac + 9ac$ cannot be a square), 298 ($2dn + 5dn$ ends 60 and cannot be a square).

$13 \times 17 = 221$ and for a possible $5dn$, $6dn = 17$, $9ac = 71$, $5dn = 241$. $4ac + 7ac$ can be 625 or 676 giving $4ac$ values of 404 ($2dn + 5dn$ ends with 51 and no square fits) or 455 forcing 915 for $2dn$. From there, $2ac$ has to be 98 so $2ac + 9ac = 169$. $3dn = 83$ so $3dn + 6dn = 100$. That works so consider the other $4ac$ candidates.

$17 \times 19 = 323$, forcing $6dn = 17$, $9ac = 71$ (to avoid $9ac = 91$, composite), $5dn = 241$. $4ac + 7ac$ can be 729 or 784 giving $7ac$ values of 406 ($2dn + 5dn$ ends 71 and no square fits) or 461 ($2dn + 5dn$ ends with an ineligible 7).

$19 \times 23 = 437$ has no prime $9ac$. The same applies for $23 \times 29 = 667$.

$29 \times 31 = 889$ allows $6dn = 31$, $9ac = 13$, $5dn = 833$. $4ac + 7ac$ can be 1225 making $7ac = 336$ then $2dn + 5dn$ ends 26 and no square fits.

This leaves the single solution based on $13 \times 17 = 221$. The maximum that $1ac$ can be is 18 (from a 2-digit answer of 99) and this determines $1dn = 12$, leading to $8dn = 52$ with $1dn + 8dn = 64$. Then $10ac = 22$ with $1ac + 10ac = 36$. The squares are 36, 64, 100, 169, 676 and 1156 totalling 2201. In Latin that is MMCCI. According to Einstein $E = MC^2$ or MCC and replacing it we get MEI.

¹ 1	4	² 9	³ 8
⁴ 2	⁵ 2	1	3
⁶ 1	⁷ 4	5	⁸ 5
⁹ 7	1	¹⁰ 2	2